

<b>Module description: Analysis 3</b>	
<b>Module Code</b>	t.BA.XXM5.AN3.19HS
<b>ECTS Credits</b>	4
<b>Language of Instruction/Examination</b>	German
<b>Organizational Unit</b>	ICP
<b>Module Coordinator</b>	Christoph Kirsch
<b>Legal Framework</b>	The module description is part of the legal basis in addition to the general academic regulations. It is binding. During the first week of the semester a written and communicated supplement can specify the module description in more detail.
<b>Module Characteristic</b>	Type 3a  2 lecture lessons per semester week and class+ 2 lab bi-weekly lessons per semester and half-class
<b>Module Description</b>	The main topic of this module is the differential and integral calculus of generally vector-valued functions of several real variables. In addition, students are introduced to the (continuous) Fourier transform and learn about analytical methods for the solution of ordinary differential equations.
<b>Module Content</b>	<p><b>(Continuous) Fourier transform</b></p> <ul style="list-style-type: none"> <li>• definitions, tables</li> <li>• Fourier series for periodic functions</li> </ul> <p><b>Functions of several variables</b></p> <ul style="list-style-type: none"> <li>• definition and visualization</li> <li>• continuity, differentiability</li> <li>• partial derivatives, differential operators</li> <li>• integral calculus, coordinate transforms</li> <li>• divergence theorem, Stokes' theorem, balance equations, scalar potentials for gradient fields</li> </ul> <p><b>Ordinary differential equations</b></p> <ul style="list-style-type: none"> <li>• slope field and integral curves of ordinary differential equations</li> <li>• substitution methods for special first order ordinary differential equations</li> <li>• solution of systems of linear ordinary differential equations</li> </ul>
<b>Prerequisite Knowledge</b>	XXM4.AN1, XXM4.AN2, XXM5.LA1, XXM5.LA2

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Learning Objectives (Competences)	Students...			Competencies	Taxonomies
	You know properties such as continuity and differentiability of functions of several variables, and you can visualize these functions appropriately.			F, M	K2, K3
	You can rewrite arbitrary higher order ordinary differential equations as systems of first order ordinary differential equations.			M, F	K2, K3
	You can formulate balance equations for the state variables of a physical system using the divergence theorem, and you can compute scalar potentials for gradient fields using Stokes' theorem.			F, M	K2, K3
	You can compute partial derivatives of functions. You know the calculation rules for the differential operators gradient, divergence and curl and you can use them on examples.			M, F	K2, K3
	You know the method of substitution for the solution of special first order ordinary differential equations, and you can use this method on examples.			M, F	K2, K3
	You can solve systems of linear first order ordinary differential equations analytically.			F, M	K2, K3
	You can compute Fourier transforms of functions in both directions with the help of tables. You can calculate Fourier series of periodic functions.			F, M	K2, K3
	You know the slope field of a first order ordinary differential equation, and you can derive qualitative properties of the integral curves from it.			F, M	K2, K3
	You know various definitions of the (continuous) Fourier transform, and you can work with tables of Fourier transform pairs.			F, M	K2, K3
	You can integrate functions of several variables over general domains, and you can transform such integrals into arbitrary coordinates.			M, F	K2, K3
Performance Assessment	End-of-module exam	Assessment	Length (min.)	Weighting	Form
	written exam	Grade	90	80	acc. to module agreement
	Performance assessment during the semester	Assessment	Length (min.)	Weighting	Form
		Grade		20	acc. to module agreement
Classroom Attendance Requirement	None				
Learning material					
Comments	At least one graded assignment during the semester. Number and weighting of graded assignments equal among all lecturers.				